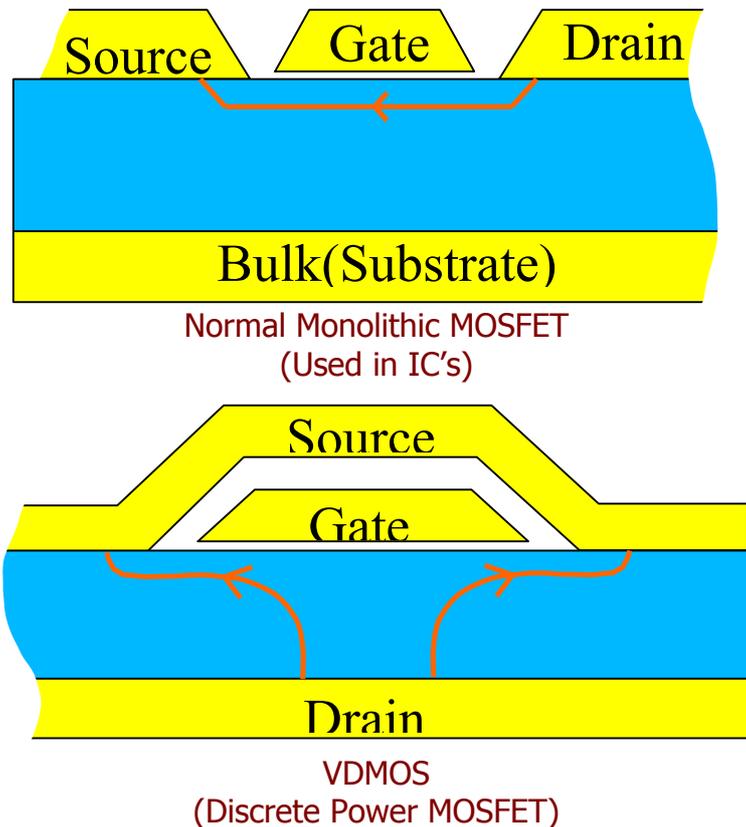


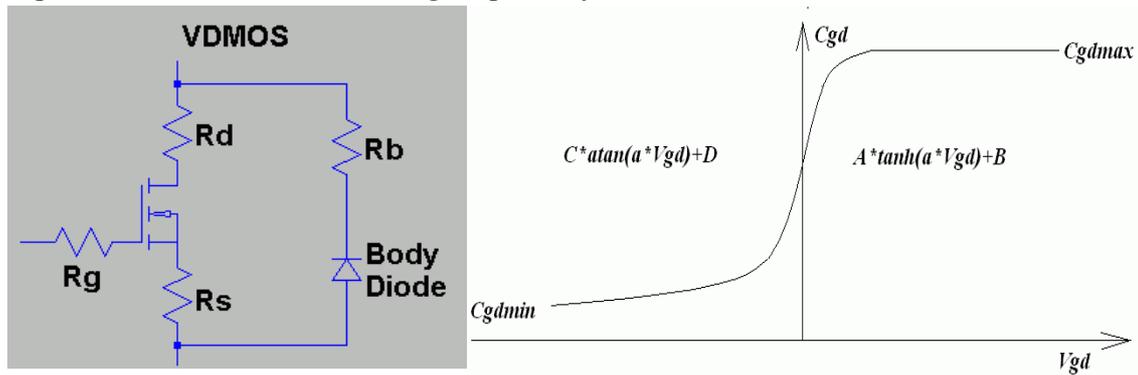
LTspice build in VDMos model.

Introduction (from the help file)

The discrete vertical double diffused MOSFET transistor (VDMOS) popularly used in board level switch mode power supplies has behavior that is qualitatively different than the monolithic MOSFET models. In particular, (i) the body diode of a VDMOS transistor is connected differently to the external terminals than the substrate diode of a monolithic MOSFET and (ii) the gate-drain capacitance (C_{gd}) non-linearity cannot be modeled with the simple graded capacitances of monolithic MOSFET models. In a VDMOS transistor, C_{gd} abruptly changes about zero gate-drain voltage (V_{gd}). When V_{gd} is negative, C_{gd} is physically based a capacitor with the gate as one electrode and the drain on the back of the die as the other electrode. This capacitance is fairly low due to the thickness of the non-conducting die. But when V_{gd} is positive, the die is conducting and C_{gd} is physically based on a capacitor with the thickness of the gate oxide.



Traditionally, elaborate subcircuits have been used to duplicate the behavior of a power MOSFET. A new intrinsic spice device was written that encapsulates this behavior in the interest of compute speed, reliability of convergence, and simplicity of writing models. The DC model is the same as a level 1 monolithic MOSFET except that the length and width default to one so that transconductance can be directly specified without scaling. The AC model is as follows. The gate-source capacitance is taken as constant. This was empirically found to be a good approximation for power MOSFETS if the gate-source voltage is not driven negative. The gate-drain capacitance follows the following empirically found form:

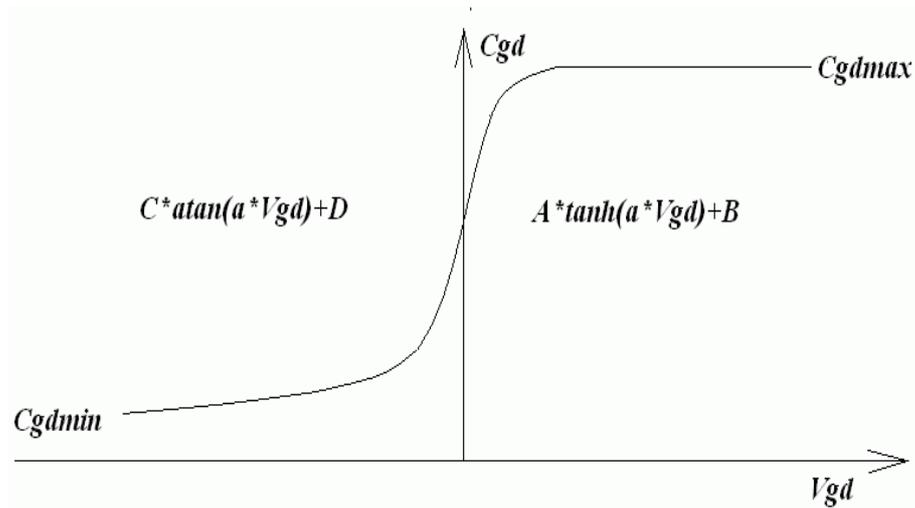


For positive V_{gd} , C_{gd} varies as the hyperbolic tangent of V_{gd} . For negative V_{gd} , C_{gd} varies as the arc tangent of V_{gd} . The model parameters a , C_{gdmax} , and C_{gdmin} parameterize the gate drain capacitance. The source-drain capacitance is supplied by the graded capacitance of a body diode connected across the source drain electrodes, outside of the source and drain resistances.

Parameters used in VDMos model to describe the AC behavior are:

C_{gs}	Gate-source overlap capacitance
C_{gdmin}	Minimum non-linear G-D capacitance
C_{gdmax}	Maximum non-linear G-D capacitance
a	non-linear C_{gd}
C_{jo}	Body diode junction capacitance

**Detailed description of the Vmos nonlinear capacitor Cgd.
(datasheet Crss value)**



The variables A, B, C and D are internally calculated depending on C_{gdmin} and C_{gdmax} parameter values. The parameter A and C are the slope of the atan and tanh curves @ $V_{gd} = 0$. The variables D and B determine the crossover value @ $V_{gd} = 0$.

If you carefully at the graph you can easily say that:

Parameter D must be the same as B because with $V_{gd} = 0$ the transition from the left to the right part of the graph must match. The value here is unknown at this point and therefore a new variable is introduced: Crossover . See this as a gain. The data sheet $Crss_{max}$ value is also measured at this point.

$$Crss_{max} = D = B = Crossover * C_{gdmax}$$

Now for parameter A. We know that $\tanh(\infty)$ is 1 and A must be a function of Crossover and C_{gdmax} .

With V_{gd} is infinite:

$$\begin{aligned} C_{gdmax} &= A + Crossover * C_{gdmax} \\ A &= -Crossover * C_{gdmax} + C_{gdmax} \\ A &= (1 - Crossover) * C_{gdmax} \end{aligned}$$

The variable C controls the C_{gdmin} value. The $C * \text{atan}(-\infty) + D$ must reach to C_{gdmin} .

$$\begin{aligned} C_{gdmin} &= C * a \tan(-\infty) + Crossover * C_{gdmax} \\ C * a \tan(\infty) &= Crossover * C_{gdmax} - C_{gdmin} \\ C &= \frac{Crossover * C_{gdmax} - C_{gdmin}}{a \tan(\infty)} \end{aligned}$$

The variable Crossover can be found by matching the slope of the left and right part of the graph at $V_{gd} = 0$. The slope is C and A.

$$A = C$$

$$(1 - \text{Crossover}) * C_{gd \max} = \frac{(\text{Crossover} * C_{gd \max} - C_{gd \min})}{a \tan(\theta)}$$

$$\text{Crossover} = \frac{\frac{C_{gd \min}}{a \tan(\theta)} + C_{gd \max}}{\frac{C_{gd \max}}{a \tan(\theta)} + C_{gd \max}}$$

$$\text{Crossover} = \frac{C_{gd \min} + a \tan(\theta) * C_{gd \max}}{C_{gd \max} * (1 + a \tan(\theta))}$$

$$\text{Crossover} = \frac{\frac{C_{gd \min}}{C_{gd \max}} + a \tan(\theta)}{1 + a \tan(\theta)}$$

The term $\text{Crossover} * C_{gd \max}$ is used in A, B, C and D

$$\text{Crossover} * C_{gd \max} = \frac{C_{gd \min} + a \tan(\theta) * C_{gd \max}}{1 + a \tan(\theta)}$$

For A:

$$A = C_{gd \max} - \frac{C_{gd \min} + a \tan(\theta) * C_{gd \max}}{1 + a \tan(\theta)}$$

For C:

$$C = \frac{\frac{C_{gd \min} + a \tan(\theta) * C_{gd \max}}{1 + a \tan(\theta)} - C_{gd \min}}{a \tan(\theta)}$$

$$C = \frac{\frac{C_{gd \min}}{a \tan(\theta)} + C_{gd \max}}{1 + a \tan(\theta)} - \frac{C_{gd \min}}{a \tan(\theta)}$$

Put everything together to complete the left and right functions of the Cgd graph.

For $V_{gd} < 0$:

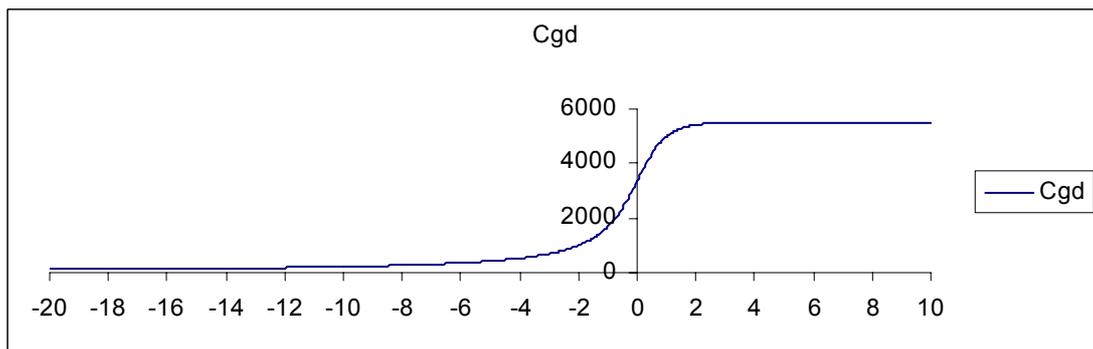
$$C_{gd} = \left(\frac{\frac{C_{gd \text{ min}}}{a \tan(\infty)} + C_{gd \text{ max}}}{1 + a \tan(\infty)} - \frac{C_{gd \text{ min}}}{a \tan(\infty)} \right) * a \tan(a * V_{gd}) + \frac{C_{gd \text{ min}} + a \tan(\infty) * C_{gd \text{ max}}}{1 + a \tan(\infty)}$$

For $V_{gd} > 0$

$$C_{gd} = \left(C_{gd \text{ max}} - \frac{C_{gd \text{ min}} + a \tan(\infty) * C_{gd \text{ max}}}{1 + a \tan(\infty)} \right) * \tanh(a * V_{gd}) + \frac{C_{gd \text{ min}} + a \tan(\infty) * C_{gd \text{ max}}}{1 + a \tan(\infty)}$$

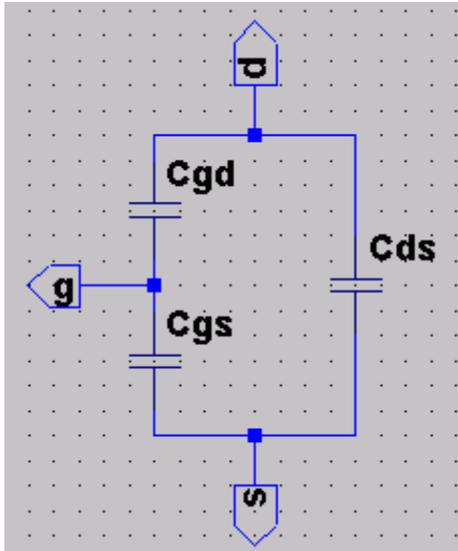
Example using the formulas above in excel:

$C_{gd \text{ min}} = 7$ $C_{gd \text{ max}} = 5500$



The parameter $C_{gd \text{ max}}$ for the nonlinear gate drain cap is not the datasheet $C_{rss \text{ max}}$ value but a factor higher. The datasheet $C_{rss \text{ max}}$ value is read from the typical capacitance graph at $V_{gs} = 0$ and $V_{ds} = 0$.

The datasheet C_{rss} , C_{iss} and C_{oss} parameters for the VDMos device.



The datasheet supplies information for the charge model above in the form of C_{rss} , C_{iss} and C_{oss} . The values in the datasheet are measured with a gate source voltage of 0V and drain source voltage of 25V.

The definition of C_{rss} , C_{iss} and C_{oss} are as follows:

$$C_{rss} = C_{gd}$$

$$C_{oss} = C_{ds} + \frac{C_{gd} * C_{gs}}{C_{gd} + C_{gs}}$$

$$C_{iss} = C_{gs} + C_{gd}$$

Rewrite the above equations and find the C_{gd} , C_{gs} and C_{ds} .

$$C_{gd} = C_{rss}$$

$$C_{ds} = C_{oss} - \frac{C_{rss} * (C_{iss} - C_{rss})}{C_{rss} + C_{iss} - C_{rss}}$$

$$C_{gs} = C_{iss} - C_{rss}$$

Later we see that the C_{ds} formula is not correct because of the nonlinearity of it. The formula is only correct at V_{ds} is 25V and it will be used to calculate the nonlinearity parameter m of the body diode.

Fortunately, the gate drain cap is the datasheet C_{rss} value and there is a graph in the datasheet that shows this capacitance value as a function of the drain source voltage.

Now most of the VDMos parameters are available. The C_{jo} parameter is C_{ds} . Most of the cases the datasheet C_{rss} is the VDMos parameter C_{gdmin} but be careful. It's better to check that C_{rss} in the graph at $V_{ds}=25V$ is the same as at V_{ds} max. With the coolmos 20n60c3 from infinition it is not the case.

Example Coolmos 20n60C3:

Crss=50p Ciss=2400p Coss=780p

Read from the graph:

Crssmin=7p Crssmax=2000p

To supply the VDmos model with the desired Cgdmax value some calculation has to be done because the Crssmax value in the graph is **not** Cgdmax of the VDmos parameter.

The datasheet does not supply information about the parameter Cgdmax, but a difficult to read Crss value in the capacitance graph at Vds and Vgs is 0. The Crssmax value in the datasheet graph is $D=B=Crossover * Cgdmax$ for the VDmos model.

If we take the formulas for A and C and fill in for $Crossover * Cgdmax = Crssmax$ and we know that $A=C$ we can find a function to calculate Cgdmax:

$$A = (1 - Crossover) * Cgd \max = Cgd \max - Crss \max$$

$$C = (Crossover * Cgd \max - Cgd \min) / a \tan(\alpha) = (Crss \max - Cgd \min) / a \tan(\alpha)$$

$$A = C$$

$$Cgd \max - Crss \max = (Crss \max - Cgd \min) / a \tan(\alpha)$$

$$Cgd \max = Crss \max + (Crss \max - Cgd \min) / a \tan(\alpha)$$

Note that Cgdmin is the same as Crssmin, preferably the graph value at Vds is very high.

Now all the AC parameters for the VDmos can be calculated by means of datasheet values except for the “a” parameter that has to be fine-tuned. Most of the time the default value of 1 will do.

Here a summary of the VDmos AC parameters:

$$Cds_{25V} = Coss - \frac{Crss * (Ciss - Crss)}{Ciss}$$

$$Cgs = Ciss - Crss$$

$$Cgd \min = Crss \min$$

$$Cgd \max = Crss \max + (Crss \max - Cgd \min) / a \tan(\alpha)$$

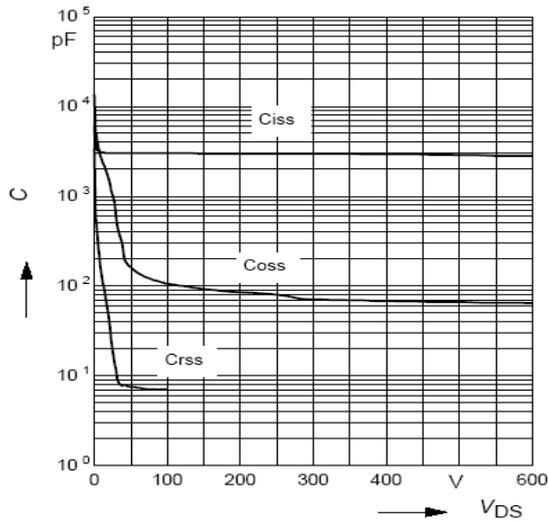
Simulation results with the coolmos 20N60C3 as an example.

For this device the following datasheet values has been found:

$C_{rss}=50p$ $C_{iss}=2400p$ $C_{oss}=780p$ @ $V_{ds}=25V$

from the graph:

$C_{rssmin}=7p$ $C_{rssmax}=2000p$



The Vdmos parameters used are:

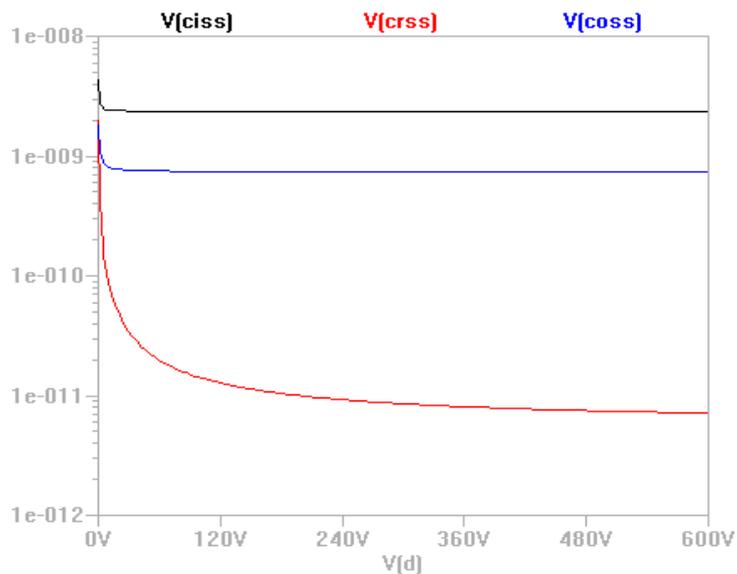
$C_{gdmin}=7p$

$C_{gdmax}=3270p$

$C_{jo}=731p$

$C_{gs}=2350p$

$a=1.5$ (is tuned to fit the slope of the crss with the datasheet graph)



The C_{oss} is way off. The nonlinearity of this cap is modulated in LTspice but not shown here because it is not taken into consideration with this simulation. The nonlinear C_{ds} is described in the body diode section.

Workbench measurement results for the 20N60C3:

It is too difficult to read the C_{rssmax} value from the datasheet graph so I measured it using a simple cap meter.

Measured gate drain cap with gate shorted to source: 14nF

Actual $C_{gd} = C_{meas} - C_{ds} = 14nF - ? = ?$

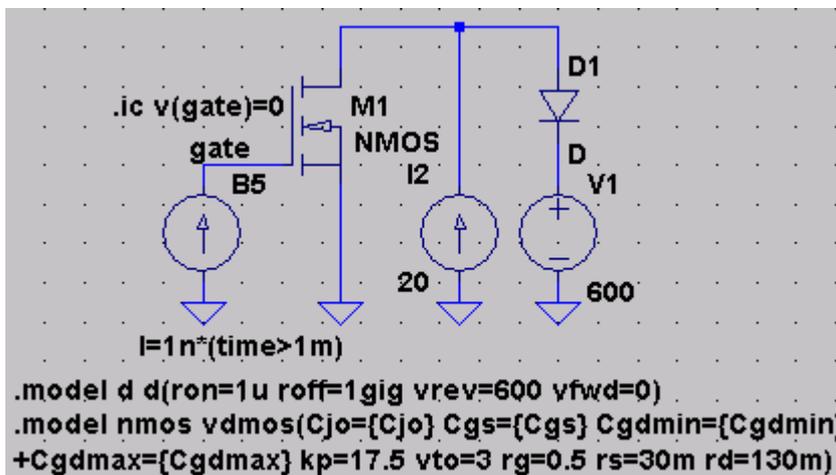
The C_{ds} is highly nonlinear and cannot be determined so shorted gate source measurements give no good C_{gd} value.

Measured gate drain cap with drain shorted to source: 6nF

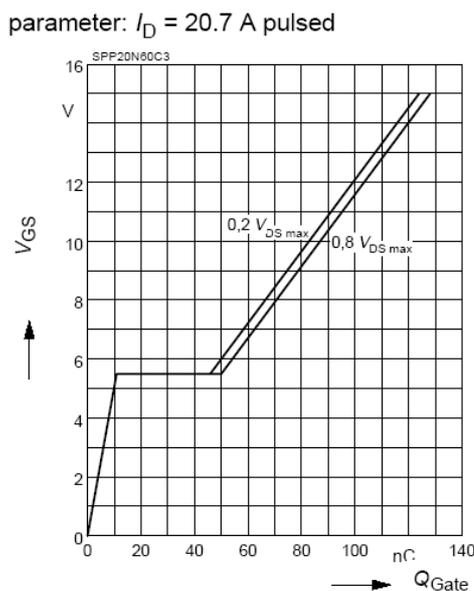
Actual $C_{gd} = C_{meas} - C_{gs} = 6.3nF - 2.35nF = 3.65nF$

So the C_{rssmax} @ $V_{ds} = V_{gs} = 0$ is about 3.6nF

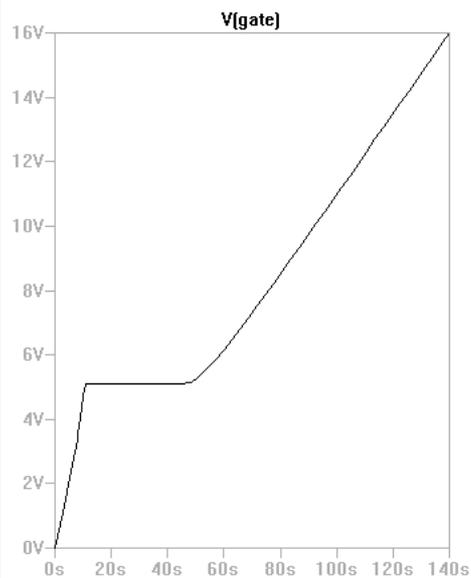
Test circuit to plot the $Q_{gstotal}$:



Datasheet plot of the Q_{gs}



Simulated plot of the Q_{gs}



The right graph show time on the Y axis this is the same as Q in nC because the current source charging the gate is 1nA. ($Q = i \cdot t$)

DC characteristics of the VDMos

In order to make a model from datasheet we have to know the how Ltspice handles the dc parameters. The help file reverts to the level 1 model parameters.

The LEVEL 1 MOSFET model should be used when accuracy is less important than simulation turn-around time. For digital switching circuits, especially when only a "qualitative" simulation of timing and function is needed, LEVEL 1 run-time can be about half that of a simulation using the LEVEL 2 model. The agreement in timing is approximately 10%. The LEVEL 1 model, however, results in severe inaccuracies in DC transfer functions.

LEVEL 1 Model Equations

Cutoff region: $V_{gs} < V_{th}$

$$I_d = 0$$

Linear Region: $V_{ds} < V_{gs} - V_{th}$

$$I_d = K_P * W/L * (1 + LAMBDA * V_{ds}) * (V_{gs} - V_{th} - V_{ds}/2) * V_{ds}$$

Saturation Region: $V_{ds} > V_{gs} - V_{th}$

$$I_d = K_P/2 * W/L * (1 + LAMBDA * V_{ds}) * (V_{gs} - V_{th})^2$$

The saturation region is useless because for a switch you will not operate the device in this region. Then I played around with the formula for the linear region and could not get an R_{dson} fit. Make it fit with R_s and R_d (high K_P value). Now R_s also determines the transfer characteristics and this makes everything a lot easier. If you take a look at the models shipped with LTspice, you see they also uses a high K_P value and looks like the fets are matched with the R_s and R_d .

With this in mind I dropped a few things out of the formula that has little effect. W/L is useless because the default is ok and this makes it 1
 $LAMBDA$ is for the sat region and is not interesting, so can be zero. The $V_{gs}/2$ part is compared to $(V_{gs} - V_{to})$ has no meaning full contribution.
What's left is:

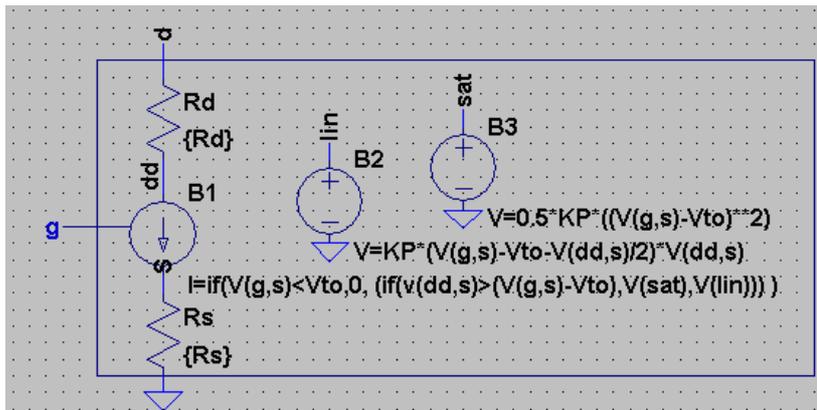
For the linear region:

$$I_d = K_P (V_{gs} - V_{to}) V_{ds}$$

For the saturation region:

$$I_d = 0.5 * K_P * (V_{gs} - V_{to})^2$$

The model of the level one mosfet is tested in Ltspice using this circuit:



The behaviour source looks at the 'internal' drain and source connections. The formulas must be extended with Rs and Rd.

Saturation region:

$$I_d = 0.5 * K_P (V_g - I_d * R_s - V_{to})^2$$

Linear region:

$$I_d = K_P (V_g - I_d * R_s - V_{to}) * (V_d - I_d * (R_d + R_s))$$

The datasheet transfer characteristics graph is measured with the device in saturation region. We can use the formula for saturation region to calculate Rs:

$$R_s = (V_g - \sqrt{2 * I_d / K_P} - V_{to}) / I_d$$

So with values from the transfer graph I have $V_{gsmax} = 7.5V$ with $I_{dmax} = 70A$.

$$R_s = (V_{gsmax} - \sqrt{2 * I_{dmax} / G_{fs}} - V_{th}) / I_{dmax}$$

Now for Rd. This can be calculated using Rs and Rdson. Rdson is shown in the output characteristics graph in the linear region so we use the formula for the linear region.

Rdson matching in linear region:

$$I_d = K_P (V_{gs} - V_{to} - V_{ds} / 2) * V_{ds}$$

With $V_d = 1$. $I_d = 1 / R_{dson}$.

$$I_d = K_P (V_g - I_d * R_s - V_{to}) * (V_d - I_d * (R_d + R_s))$$

$$R_d = R_{dson} - 1 / (K_P * (V_g - R_s / R_{dson} - V_{to})) - R_s$$

$$R_{dson} = R_s + 1 / (K_P * (V_g - R_s / R_{dson} - V_{to})) + R_d$$

With $V_g = 10V$ and $V_{to} = V_{th}$: and $K_P = G_{fs}$

$$R_d = R_{dson} - R_s - 1 / G_{fs} (10 - R_s / R_{dson} - V_{th})$$

Simulation results DC characteristics.

To verify the dc characteristics, simulations have done with the newly extracted parameters from data sheet.

The following parameters were used:

The datasheet trans-conductance $G_{fs}=17.5$

$KP=17.5$

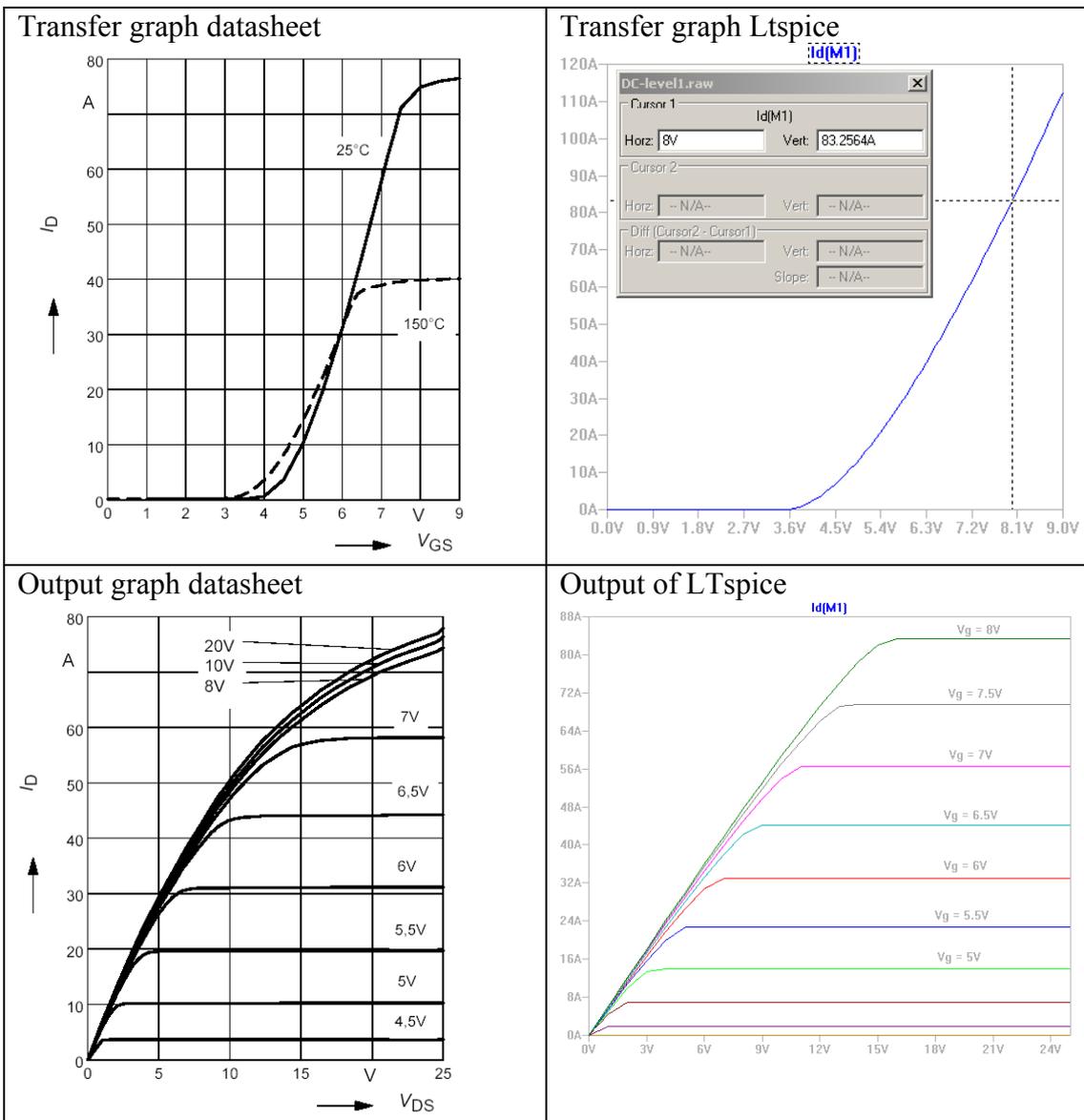
Gate source threshold voltage $V_{th}=3.5$

$V_{to}=3.5$

$R_{dson} = 0.16$ and from the transfer graph $I_{dmax}=70A$ with $V_{gsmax}=7.5V$

$R_s=(V_{gsmax}-\sqrt{2*I_{dmax}/G_{fs}}-V_{th})/I_{dmax} = 0.017$

$R_d= R_{dson}-R_s-1/G_{fs}(10- R_s/R_{dson} -V_{th})=0.134$



The generated spice model matches the output characteristics and the transfer characteristics very well except for drain currents higher than 80A. But this is not a problem due to the fact the device is specified for 20A max.

Body diode DC characteristics

Generally, the diode dc characteristic is described using the following function.

$$V_d = I_d * R_b + \frac{nkT}{q} \ln\left(\frac{I_d}{I_s} + 1\right)$$

R_b can now easily be calculated if we know the forward voltage and current.

$$\frac{V_d}{I_d} = R_b + \frac{nkT}{I_d * q} \ln\left(\frac{I_d}{I_s} + 1\right)$$

$$R_b = \frac{V_d}{I_d} - \frac{nkT}{I_d * q} \ln\left(\frac{I_d}{I_s} + 1\right)$$

Now the datasheet provides some information we can use to put in the formula but the exact behavior of the body diode forward voltage, as function of the forward current is probably not correct. This is not a problem because in normal use of the Vmos, the body diode is mainly a freewheel diode for a zero voltage switching converter. A workable approach in this case is good enough.

The datasheet gives the parameter I_s in the form of “zero gate voltage drain current” at the maximum drain source voltage and is called I_{dss} . The value varies from several nA to a few uA.

$$I_s = I_{dss}$$

The I_d here in the formula is the datasheet “inverse diode continues forward current” and is called I_s .

$$I_d = I_s$$

With the continues forward current comes a voltage drop and is the datasheet “inverse diode forward voltage” and is called V_{sd} .

$$V_d = V_{sd}$$

Body diode AC characteristics

For the nonlinear capacitor, the C_{gd} is a function of C_{jo} and V_{ds} .

$$C_{ds} = C_{jo} * \left(1 + \frac{V_{ds}}{V_j}\right)^{-m}$$

We know the C_{ds} when V_{ds} is 25V. If the C_{ds} is known for V_{ds} is 0V than a better curve fit with the datasheet C_{oss} can be made because the parameter m can be calculated.

For V_{ds} is 0 the $C_{ds}=C_{jo}$.

For V_{ds} is 25V.

$$\frac{C_{ds_{25V}}}{C_{jo}} = \left(1 + \frac{25}{V_j}\right)^{-m}$$

$$\log\left(\frac{C_{ds_{25V}}}{C_{jo}}\right) = -m * \log\left(1 + \frac{25}{V_j}\right)$$

$$m = \frac{-\log\left(\frac{C_{ds_{25V}}}{C_{jo}}\right)}{\log\left(1 + \frac{25}{V_j}\right)}$$

The parameter m can be calculated to match the nonlinear C_{ds} better with the datasheet. The parameter V_j is default 0.75. C_{jo} is the maximum C_{ds} at $V_{ds}=0$. To calculate the C_{jo} from C_{oss} and C_{rss} values we need to know these values were V_{ds} is zero. C_{gs} must also be known. This has been calculated before using $C_{gs}=C_{iss}-C_{rss}$ datasheet table values (measured @ $V_{ds}=25V$)

So C_{jo} is than

$$C_{jo} = C_{oss \max} - \frac{C_{rss \max} * C_{gs}}{C_{rss \max} + C_{gs}}$$

Now for the nonlinear part of the C_{ds} we must know the parameter m to fit the simulation with the datasheet C_{oss} at V_{ds} is 25V.

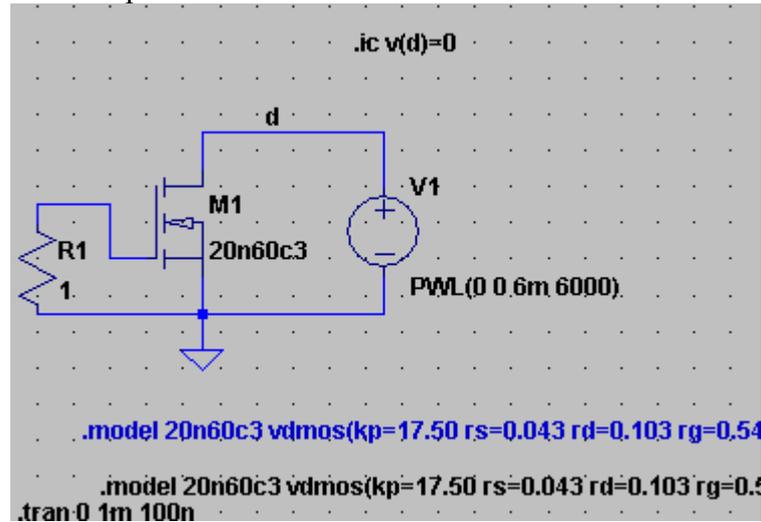
$$m = \frac{-\log\left(\frac{C_{ds_{25V}}}{C_{jo}}\right)}{1.5357}$$

With Cds at 25V

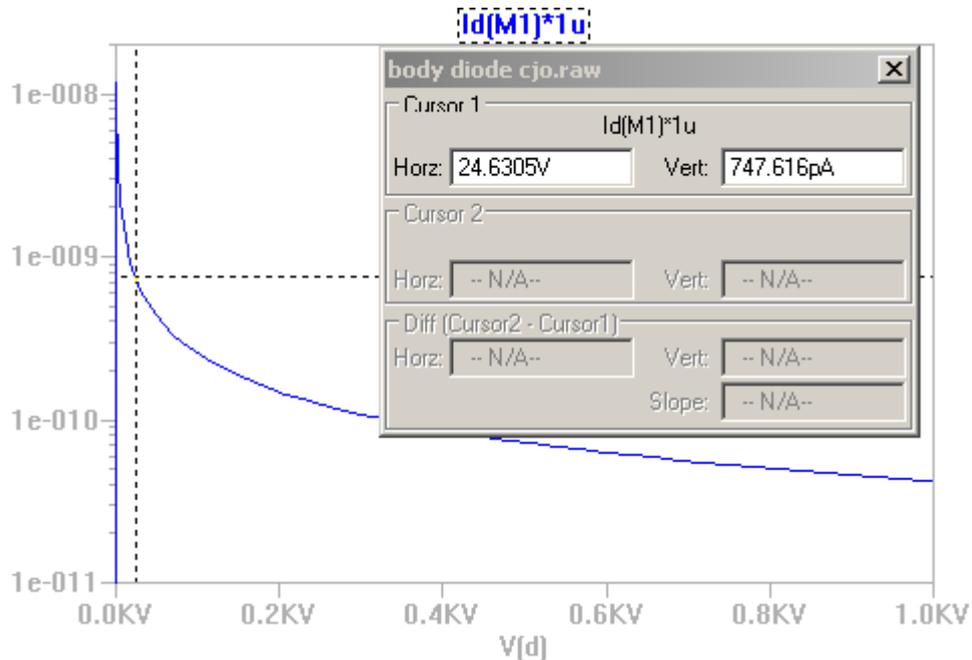
$$Cds_{25V} = Coss - \frac{Crss * (Ciss - Crss)}{Ciss}$$

Simulation results of the Cds

Test setup:



Using $C_{jo}=11.6\text{nf}$ and $m=0.78$ and $V_j=0.75$ the C_{ds} as function of V_{ds} is:
The C_{gsm} and C_{gsm} is set to zero to eliminate them from simulation.



The current here must be read as capacitance.

Summary

The formulas generate a mosfet suitable for switching applications. The model created has some limitations regarding the DC characteristics but the Rdson and the trans-conductance is modeled correctly. Also the gate charge and output capacitor will be an accurate match to the datasheet charges.

Here are the formulas to create a model from datasheet.

DC parameters:

$$KP = Gfs$$

$$Vto = Vgs(th)$$

$$Rs = (Vgsmax - \sqrt{2 * Idmax / Gfs} - Vth) / Idmax$$

$$Rd = Rdson - Rs - 1 / Gfs (10 - Rs / Rdson - Vth)$$

$$Rg = Rg$$

AC parameters

$$Cgdmax = Crssmax + (Crssmax - Crssmin) / ATAN(10000)$$

$$Cdgmin = Crssmin$$

$$Cgs = Ciss - Crss$$

$$Cjo = (Cossmax - Crssmax * Cgs) / (Crssmax + Cgs)$$

$$m = -\text{LOG}(Cds_{25V} / Cjo) / \text{LOG}(1 + 25 / 0.75)$$

With Cds_{25V}:

$$Cds_{25V} = Coss - \frac{Crss * (Ciss - Crss)}{Ciss}$$

To be sure set vj to 0.75 with model parameter

$$Vj = 0.75$$

Body diode DC parameters:

$$Rb = \frac{Vd}{Id} - \frac{nkT}{Id * q} \ln\left(\frac{Id}{Is} + 1\right)$$

$$Is = Idss$$

$$N = 1$$

Id and Vd are the forward voltage and current of the diode. Datasheet uses Is (Isource) for the Id and Vsd for Vd.

Regards,
Hendrik Jan Zwerver